

Robust and Efficient Transfer Learning using Hidden Parameter Markov Decision Processes Taylor W. Killian¹ George D. Konidaris² Finale Doshi-Velez¹



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Motivation

Subtle differences in the underlying dynamics of similar, but not identical, processes provide an intriguing application of transfer learning.



By exploiting statistical similarities in the distributions of latent processes, one can approximate a transition model $T(s' \mid s, a, \theta_b)$ given previous observations



Hidden Parameter Markov Decision Processes (HiP-MDP)

Doshi-Velez and Konidaris¹ introduced the HiP-MDP to address the transfer between closely related tasks. While expressive, the model is neither scalable nor efficient.

$$(s'_d - s_d) \approx \sum_{k}^{K} z_{kad} w_{kb} f_{kad}^{(GP)}(s) + \epsilon$$

$$w_{kb} \sim \mathcal{N}(\mu_{w}, \sigma^2)$$

 $(\mathcal{P}^{w}w_{k}, \forall w)$ $\epsilon \sim \mathcal{N}(0, \sigma_{nad}^2)$

HiP-MDP with Joint Uncertainty

We augment the form the original HiP-MDP, improving the robustness and efficiency of the approximation of $T(s' \mid s, a, \theta_b)$ by:

- Embedding the latent representation w_b of the dynamics θ_b with the input
- Replacing the Gaussian Process basis functions with a BNN
- Jointly representing the full state and latent representation uncertainty via the BNN

$$(s' - s) \approx f^{(BNN)}(s, a, w_b) + \epsilon$$

 $w_b \sim \mathcal{N}(\mu_w, \sigma_w^2)$
 $\epsilon \sim \mathcal{N}(0, \Gamma_b)$

Scalable to large state domains at higher data rates

We can demonstrate the contributions of this shift in the modeling by visualizing the BNN approximation's robustness as well as it's scalability in comparison with a GP-based model



Parameter Learning and Agent Training

The structure of the BNN allows for iterative and independent updates of both the network parameters as well as the latent weights w_b following the procedure introduced by Deisenroth and Rasmussen².

The control policy is trained via a Double Deep Q Network³ using prioritized experience replay⁴.

 $Q^{(DoubleQ)} \equiv R_{t+1} + \gamma Q\left(S_{t+1}, \arg\max_{a} Q\left(S_{t+1}, a, \Phi_{t}\right), \Phi_{t}^{-}\right)$

References

Demonstration

We demonstrate the capability of the updated HiP-MDP with a simple toy domain. Here an agent is assigned a hidden latent class that determines how it can transition into a goal region.

Our updated model is able to flexibly learn separate policies for the different latent classes. The model is also able to infer transition uncertainty under separate latent class assumptions.

The performance of the HiP-MDP on this toy problem is encouraging for eventual application to more complex and critical domains.









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